

An Approach for Reducing Errors Caused by Non-Uniform Beam-filling

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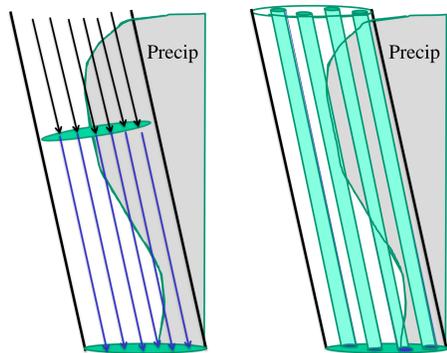
Introduction

Motivation

- Attenuation & NUBF are closely linked
- Attenuation effects exacerbate the NUBF problem
- As such, the problem is more severe at Ka-band than at Ku-band
- If we had higher resolution data, retrieval errors would decrease

Approach

- Using ancillary data (in adjacent/interleaved/oversampled FOV's)
- interpolate both PIA & Z_m to higher resolution columns
- Normalize the interpolated fields to satisfy the initial conditions
- In this higher resolution space, solve for hi-res $Z(x,y,z)$ over the multiple columns using traditional methods



Some Equations

$$A(\theta) = 2 \int_0^{\theta} k(\theta, s) ds \approx \langle P_s(\text{No Rain}, \theta) \rangle - P_s(\text{Rain}, \theta)$$

$$A(\theta) = -q^{-1} \log \left[\frac{\iint G^2(x, y) \sigma_R^0(x, y) \exp[-2q \int_0^{\theta} k(s; x, y) ds] dx dy}{\iint G^2(x, y) \sigma_{NR}^0(x, y) dx dy} \right]$$

let $g = G^2 / \iint G^2(x, y) dx dy$; $a(\theta; x, y) = 2 \int_0^{\theta} k(\theta, x, y; s) ds$

assume $\sigma_{NR}^0 = \sigma_R^0$; (note that $q = 0.2303$)

$$A(\theta) = -q^{-1} \log \left[\iint_{FOV} g(x, y) \exp(-qa(\theta, x, y)) dx dy \right] \quad (1)$$

if beam is uniformly filled, $A(\theta) = a(\theta)$

More Eq's

Similarly

$$Z_{m,dB}(h) = q^{-1} \log \left[\iint_{FOV} g(x, y) z_m(x, y; h) dx dy \right] \quad (2)$$

Note that near the surface, the hi-res fields are related by

$$z(x, y) = z_m(x, y) \exp(-qa(x, y))$$

where $z(x, y)$ is the hi-res, atten-corrected reflect factor

Replace high-res fields with the interpolated fields along with adjustment factors

$$a(x, y) \rightarrow \tilde{a}(x, y) + \delta_a$$

$$z_m(x, y) \rightarrow \delta_{z_m} \tilde{z}_m(x, y)$$

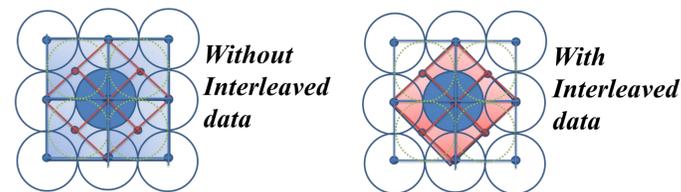
adjust δ_a and δ_{z_m} so that (1) and (2) are satisfied

Use modified interpolated fields in standard retrieval equations to get $Z(x, y, z)$ at interpolated resolution

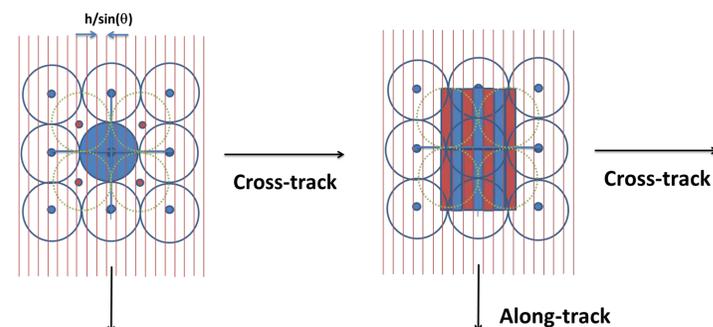
Geometries

We use a bilinear interpolation which requires choosing rectangles that cover the central field of view

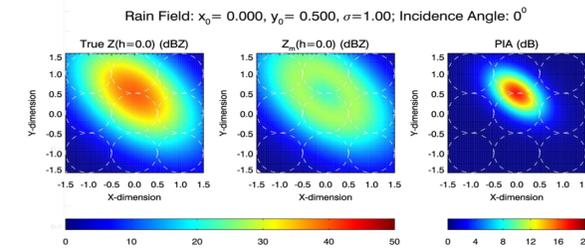
Near-Nadir



Off-Nadir

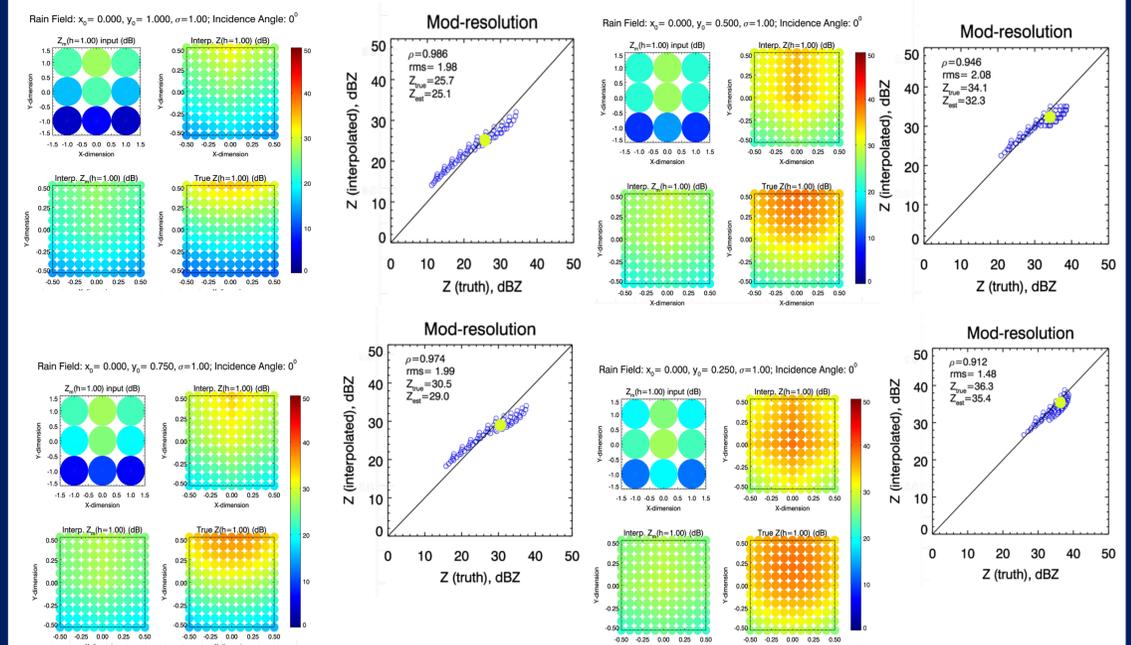


Results

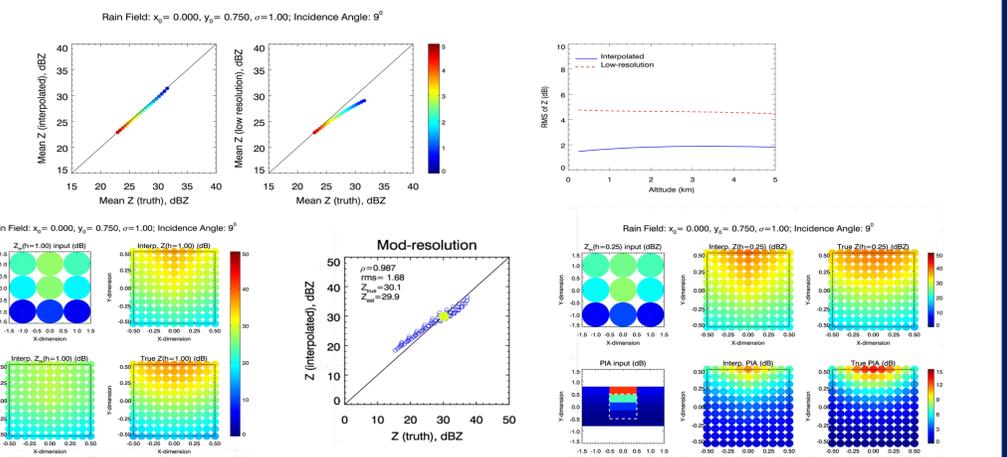


Example of high-resolution fields using a 2D Gaussian storm model

Nadir Examples



Off-Nadir Example



Summary

- The procedure gives some improvement, usually modest, over coarse resolution estimate
 - Greater reduction in rms error than in bias
 - Degree of improvement is non-uniform, however
- Bilinear interpolation has been used
 - Kriging & other geospatial methods might provide better results, esp when using interl. Ka-band data
- To understand the method, a very simple storm model is used
 - MRMS data are being used to get a more realistic assessment of the approach